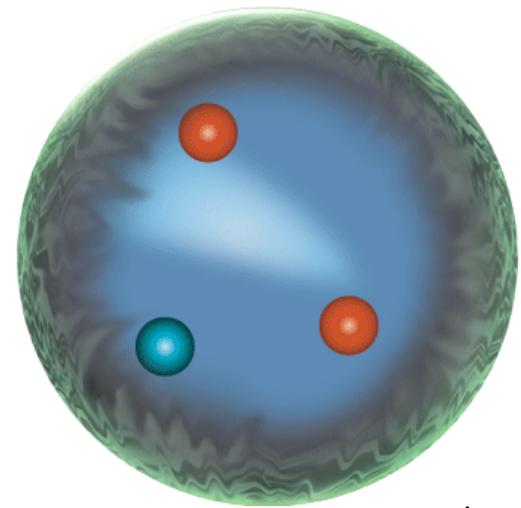


What's new in Parity-Violating e-p scattering?

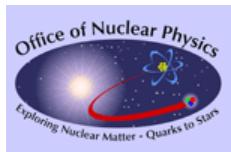
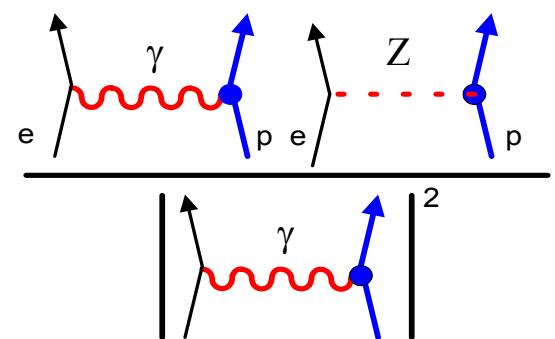
E. Beise
University of Maryland
on leave at National Science Foundation

New results on strangeness

Future opportunities
precision tests of Standard Model
new possibilities in hadron structure



courtesy
of JLab



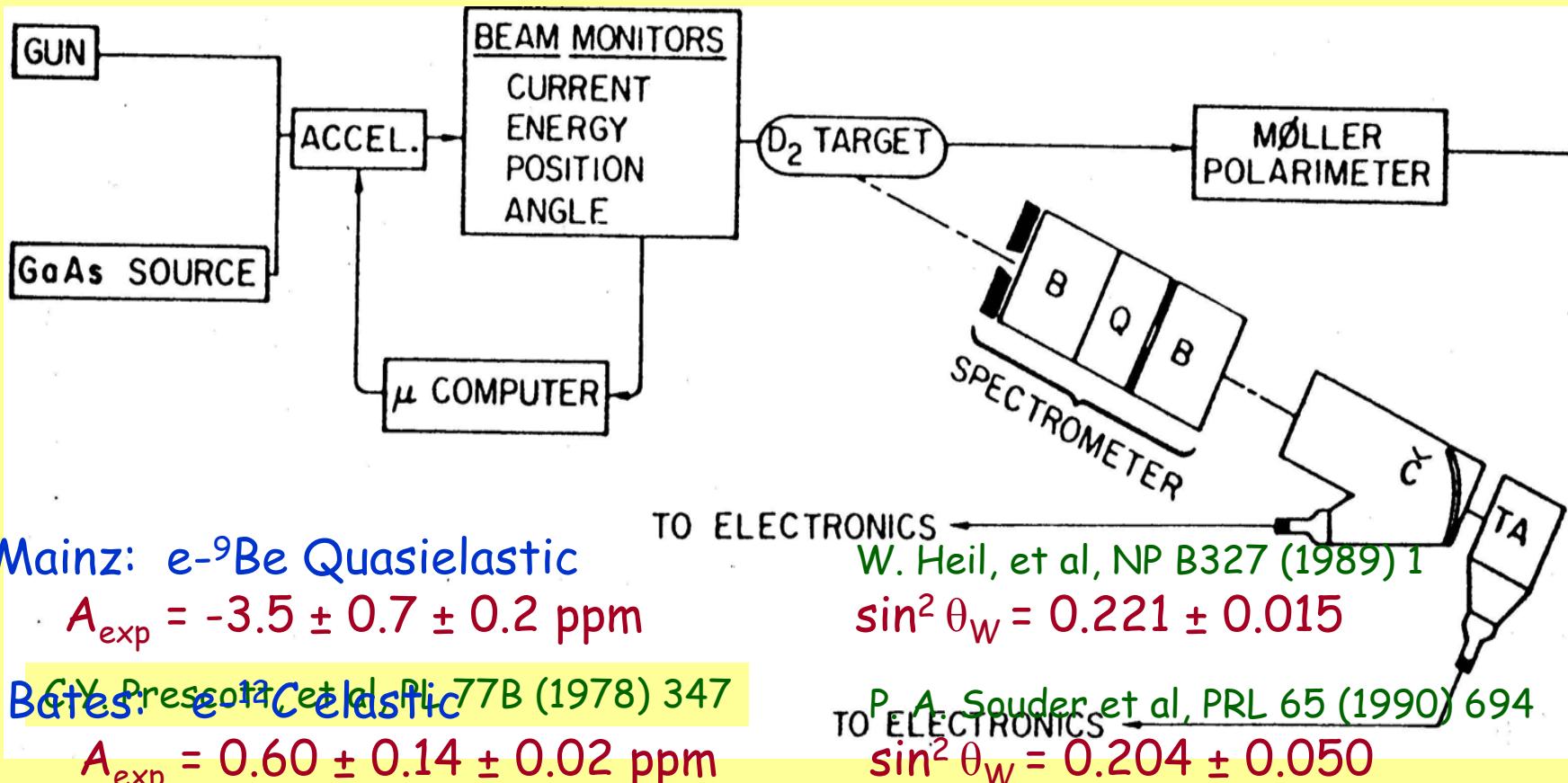
Support from U.S. NSF and DOE gratefully acknowledged

Parity Violating Electron-Nucleon Scattering

SLAC: $e + d$ (DIS) $E=16-22 \text{ GeV}$, $Q^2 1.6 \text{ GeV}^2$

$$A/Q^2 \sim -95 \pm 16 \text{ ppm}$$

$$\sin^2 \theta_W = 0.20 \pm 0.03$$



Mainz: $e^- {}^9\text{Be}$ Quasielastic

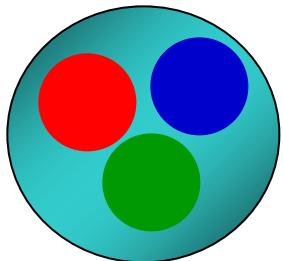
$$A_{\text{exp}} = -3.5 \pm 0.7 \pm 0.2 \text{ ppm}$$

Bates: e^- Celdastic
C.Y. Prescott et al, PLB 77B (1978) 347

$$A_{\text{exp}} = 0.60 \pm 0.14 \pm 0.02 \text{ ppm}$$

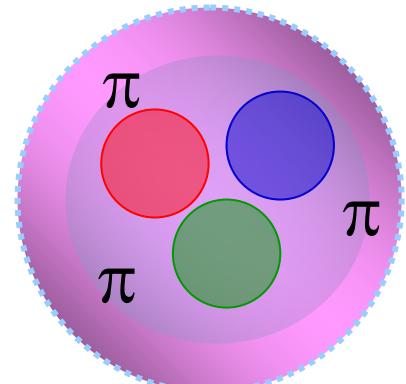
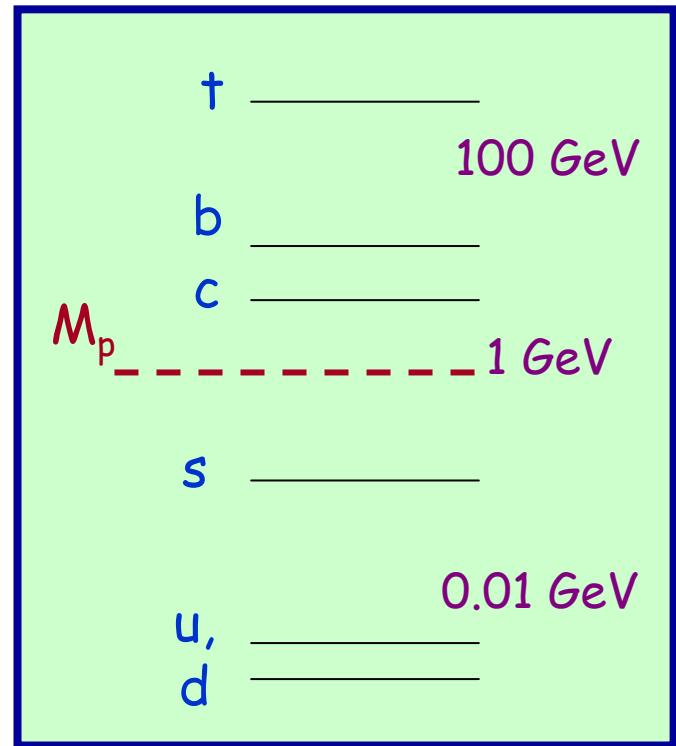
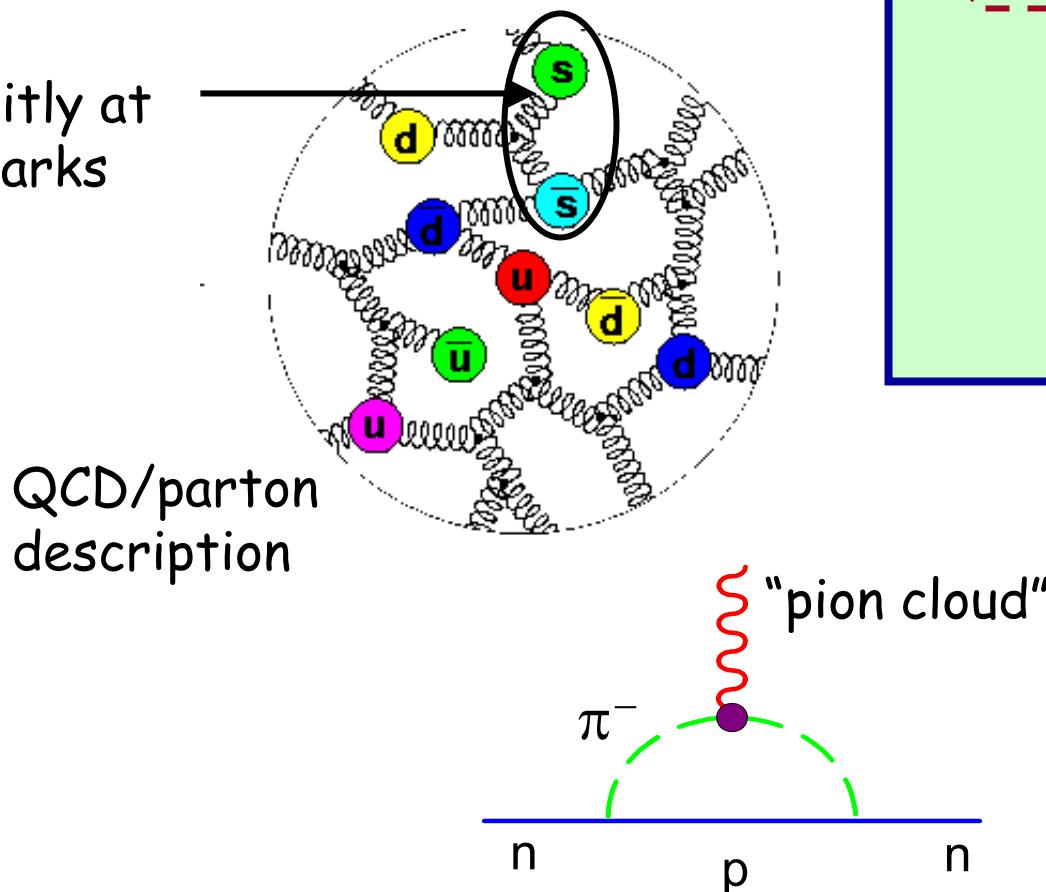
P. A. Souder et al, PRL 65 (1990) 694
 $\sin^2 \theta_W = 0.204 \pm 0.050$

Views of the Nucleon

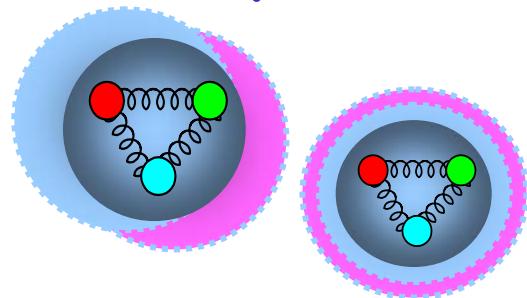


quark model

look explicitly at
strange quarks



Spatial distribution of s-quarks in the nucleon



Access via form factors: contribution to nucleon charge and magnetism

Electromagnetic:

$$G^{\gamma,p} = \frac{2}{3} G^{u,p} - \frac{1}{3} (G^{d,p} + G^{s,p})$$

$$\left. \begin{array}{l} G^{u,p} = G^{d,n} \\ G^{d,p} = G^{u,n} \\ G^{s,p} = G^{s,n} \end{array} \right\} \text{charge symmetry}$$

and use

e.g. G. Miller,
PRC 57 (98) 1492

$$G \rightarrow \langle N | \sum e_q \bar{q} \Gamma_\mu q | N \rangle$$

	EM charge	Weak charge
e	-1	$-1 + 4 \sin^2 \theta_W$
u	+2/3	$1 - 8/3 \sin^2 \theta_W$
d	-1/3	$-1 + 4/3 \sin^2 \theta_W$
s	-1/3	$-1 + 4/3 \sin^2 \theta_W$

$$\begin{aligned} G_{E,M}^{u,p} &= (3 - 4 \sin^2 \theta_W) G_{E,M}^{\gamma,p} - G_{E,M}^{Z,p} \\ G_{E,M}^{d,p} &= (2 - 4 \sin^2 \theta_W) G_{E,M}^{\gamma,p} - G_{E,M}^{\gamma,n} - G_{E,M}^{Z,p} \\ G_{E,M}^{s,p} &= (1 - 4 \sin^2 \theta_W) G_{E,M}^{\gamma,p} - G_{E,M}^{\gamma,n} - G_{E,M}^{Z,p} \end{aligned}$$

$$\sin^2 \theta_W = 0.2312 \pm 0.00015$$

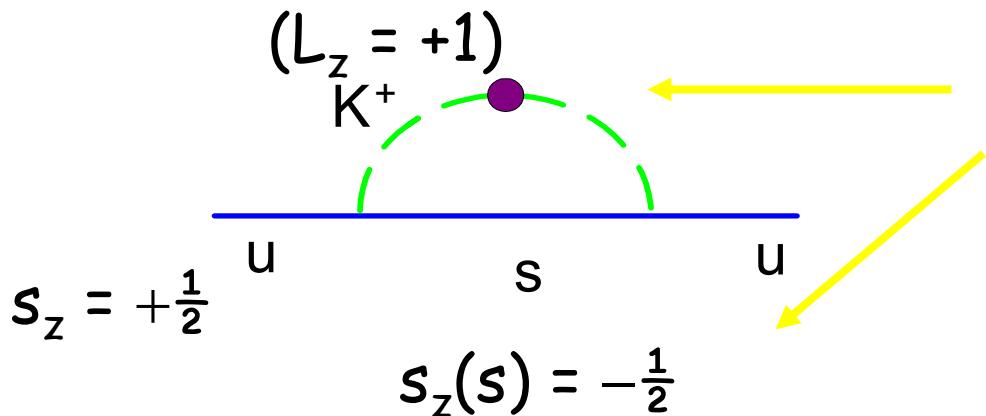
what might be expected?

$$\mu_s = G_M^s(0)$$

$$\rho_s = \left. \frac{dG_E^s(\tau)}{d\tau} \right|_{\tau=0} = 4M_N^2 \left. \frac{dG_E^s(Q^2)}{dQ^2} \right|_{Q^2=0}$$

and

$$\mu_p = \frac{2}{3}\mu_u - \frac{1}{3}\mu_d - \frac{1}{3}\mu_s = 2.79$$



If μ_s is negative, then s and sbar would make (+) overall contribution to μ_p .

Hannelius, Riska + Glozman,
Nucl. Phys. A 665 (2000) 353

(Jaffe convention): positive charge radius \rightarrow negative ρ_s
 $\rightarrow G_E^s < 0 \rightarrow$ s-quark on the outside (on average)

see R. Jaffe, PLB 229 (1989) 275
 or Geiger & Isgur, PRD 55 (1997) 299

Lattice QCD “inspired” prediction

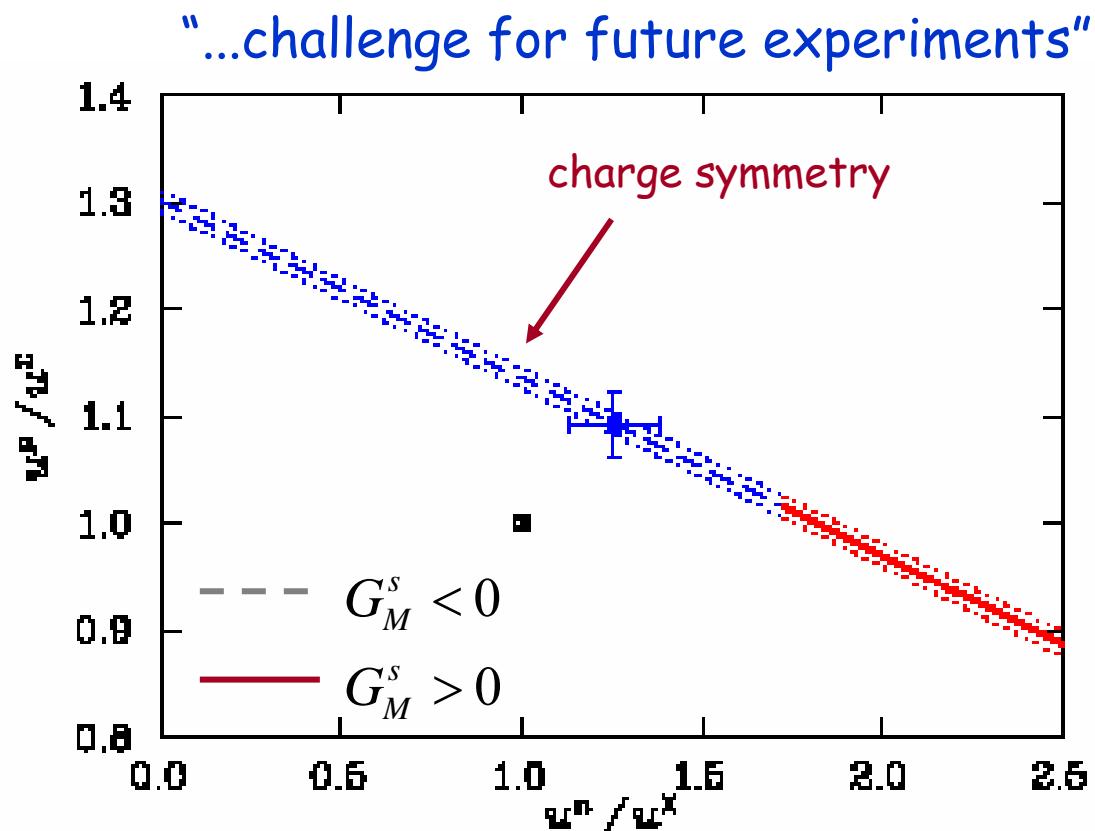
Leinweber et al, PRL 94, 212001 (2005)

Combine (quenched) lattice
calcs. + chiral extrapolation

Compute valence quark
contributions to baryon
magnetic moments:
environment sensitivity

result: s -quarks in μ_p
must be small and (-)

$$G_M^s(0) = -0.046 \pm 0.019$$

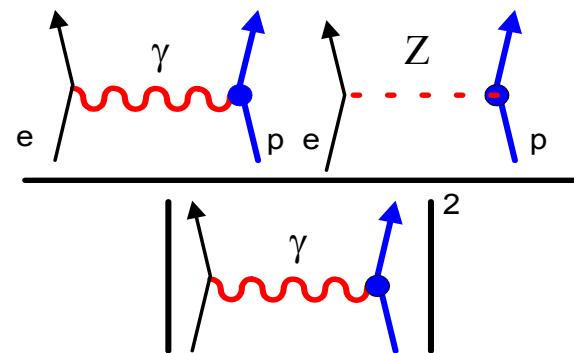


assumes “disconnected loops” are purely isoscalar...

Parity Violating elastic e-N scattering

polarized electrons, unpolarized target

$$A = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} = \left[\frac{-G_F Q^2}{4\pi\alpha\sqrt{2}} \right] \frac{A_E + A_M + A_A}{2\sigma_{unpol}}$$



forward → $A_E = \varepsilon(\theta) G_E^Z G_E^\gamma$
 backward → $A_M = \tau G_M^Z G_M^\gamma$
 $A_A = -(1 - 4 \sin^2 \theta_W) \varepsilon' G_A^e G_M^\gamma$

$$\tau = Q^2/4M^2$$

$$\varepsilon = [1 + 2(1 + \tau) \tan^2(\theta/2)]^{-1}$$

$$\varepsilon' = [\tau(\tau + 1)(1 - \varepsilon^2)]^{1/2}$$

Neutral Weak ffs contain explicit contributions from strange sea

$$G_{E,M}^Z(Q^2) = (1 - 4 \sin^2 \theta_W)(1 + R_A^p) G_{E,M}^p - (1 + R_A^n) G_{E,M}^n - G_{E,M}^s$$

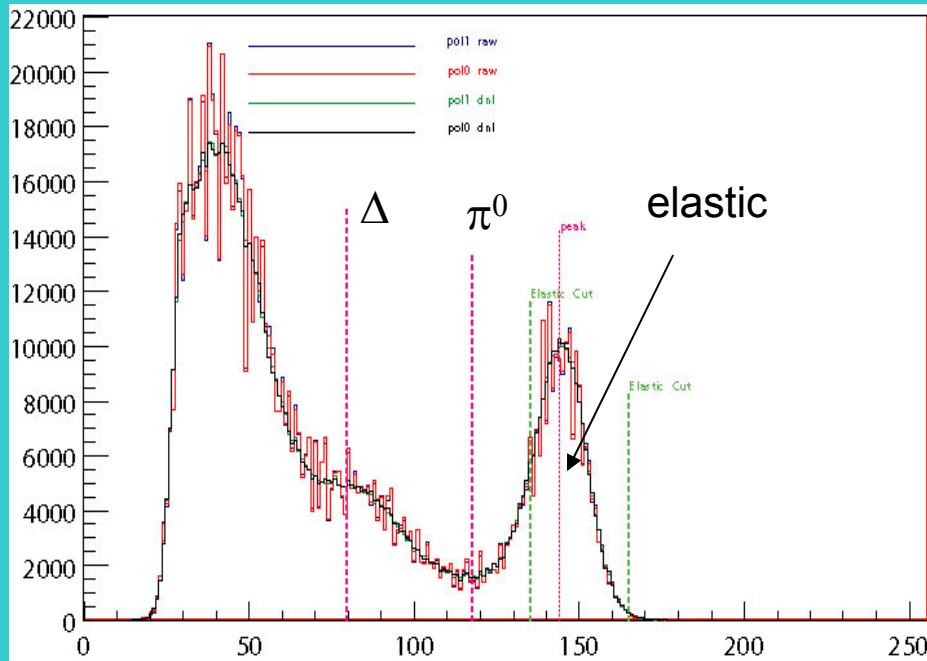
$$G_A^e(Q^2) = -G_A^Z + (\eta F_A^\gamma + R^e) + \Delta s$$

$G_A^Z(0) = 1.2695 \pm 0.0035$ (from β decay)

$$\eta = \frac{8\pi\alpha\sqrt{2}}{1 - 4 \sin^2 \theta_W} = 3.45$$

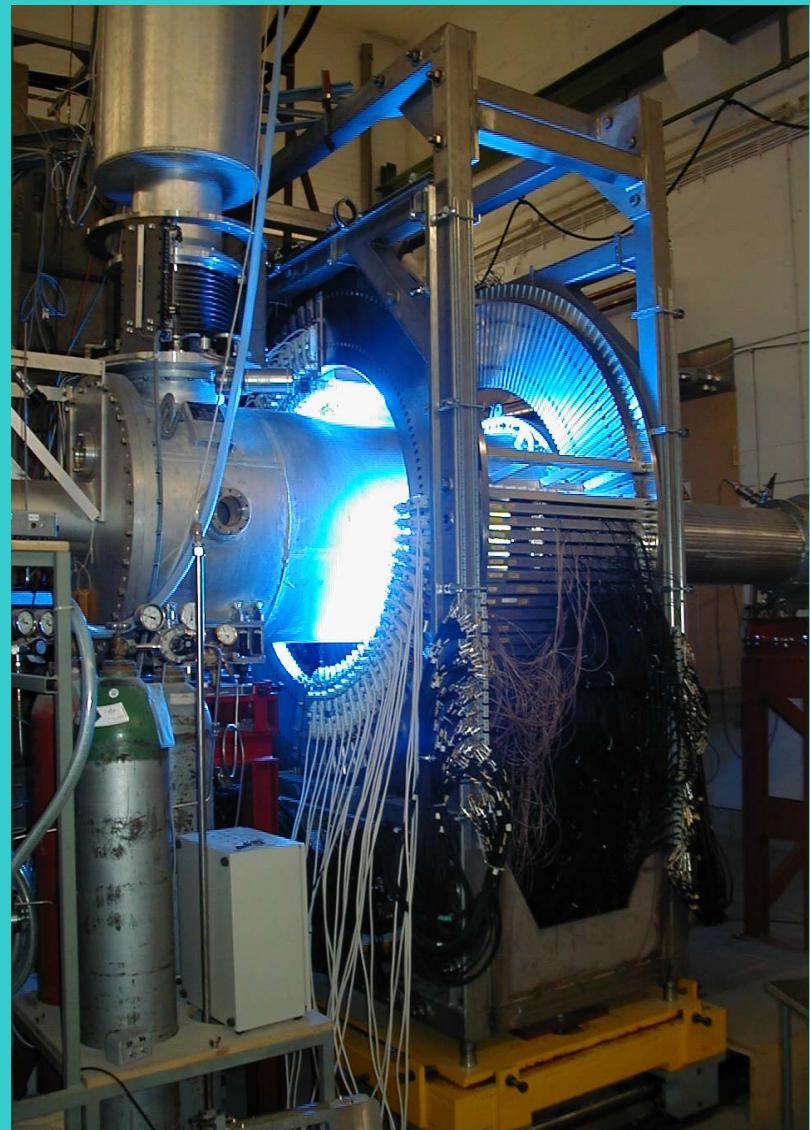
Experiments before 2005

PV-A4 at Mainz



$$\text{I: } A_{\text{exp}} = -5.6 \pm 0.6 \pm 0.2 \text{ ppm}$$

$$\text{II: } A_{\text{exp}} = -1.36 \pm 0.29 \pm 0.13 \text{ ppm}$$



2004 Summary of experiments

SAMPLE: $Q^2 = 0.1 \text{ GeV}^2$

$$G_M^s = 0.37 \pm 0.20 \pm 0.26 \pm 0.07$$

HAPPEX I: $Q^2 = 0.48$

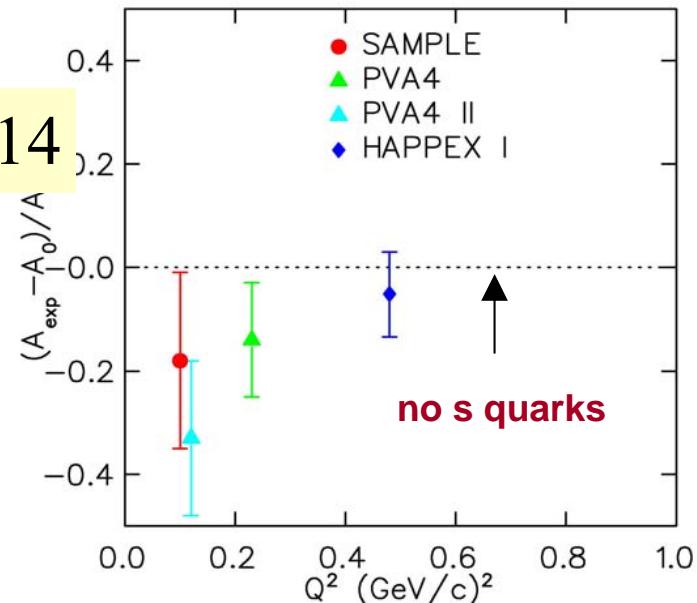
$$G_E^s + 0.39 G_M^s = 0.025 \pm 0.020 \pm 0.014$$

PVA4 I: $Q^2 = 0.24$

$$G_E^s + 0.225 G_M^s = 0.039 \pm 0.034$$

PVA4 II: $Q^2 = 0.1$

$$G_E^s + 0.106 G_M^s = 0.071 \pm 0.036$$

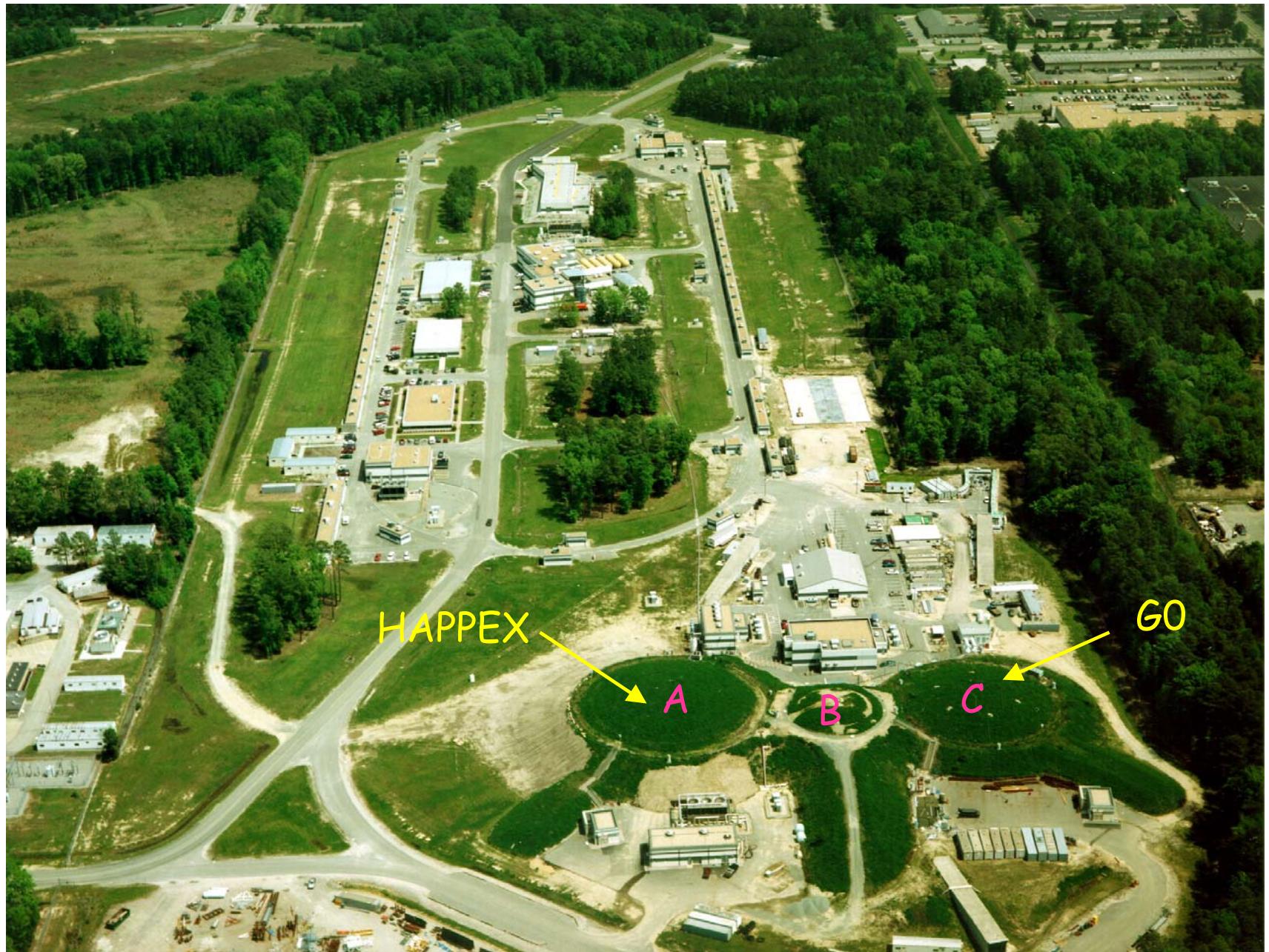


new:

HAPPEX II/He: $Q^2 = 0.1, \theta = 6^\circ$

GO FORWARD MODE: $0.1 < Q^2 < 1.0 \text{ GeV}^2$

The Jefferson Laboratory experiments, 2005



JLab “Parity-Quality” beam

G0 beam:

- strained GaAs ($P_B \sim 73\%$)
- 32 ns pulse spacing
- 40 μA beam current

HAPPEX-II beam:

- superlattice ($P_B > 85\%$)
- 2 ns pulse spacing
- 35 μA beam current

Beam Parameter	G0 beam	HAPPEX beam
Charge asymmetry	$-0.14 \pm 0.32 \text{ ppm}$	$-2.6 \pm 0.15 \text{ ppm}$
Position diff	$4 \pm 4 \text{ nm}$	$-8 \pm 3 \text{ nm}$
angle diff	$1.5 \pm 1 \text{ nrad}$	$4 \pm 2 \text{ nrad}$
Energy diff	$29 \pm 4 \text{ eV}$	$66 \pm 3 \text{ eV}$
Total correction to Asymmetry	$-0.02 \pm 0.01 \text{ ppm}$	$0.08 \pm 0.03 \text{ ppm}$

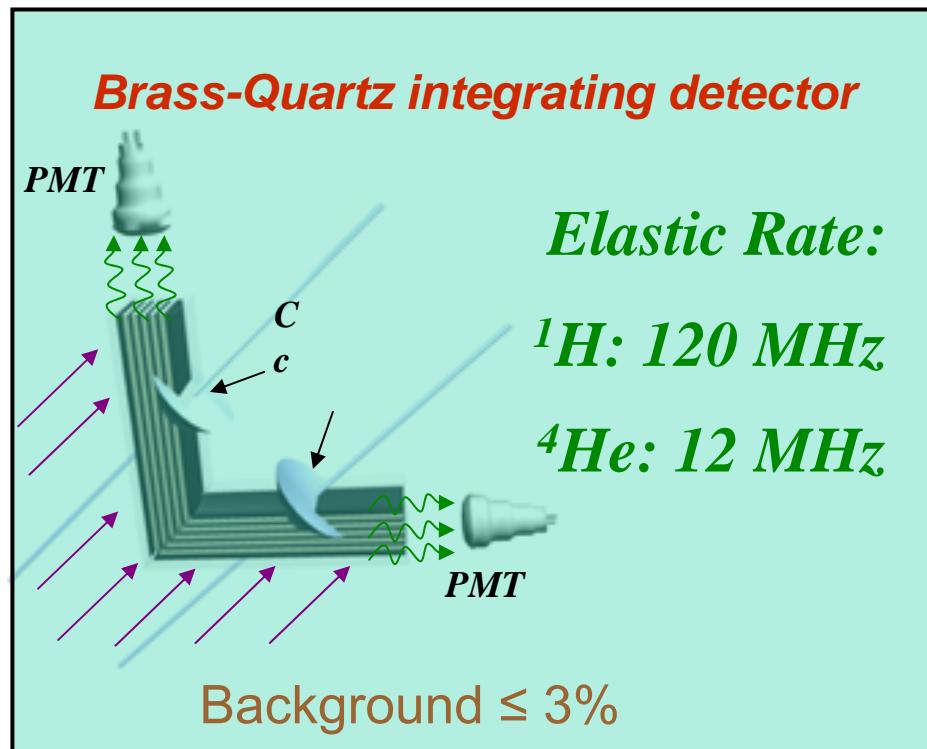
HAPPEX II: H & He targets

3

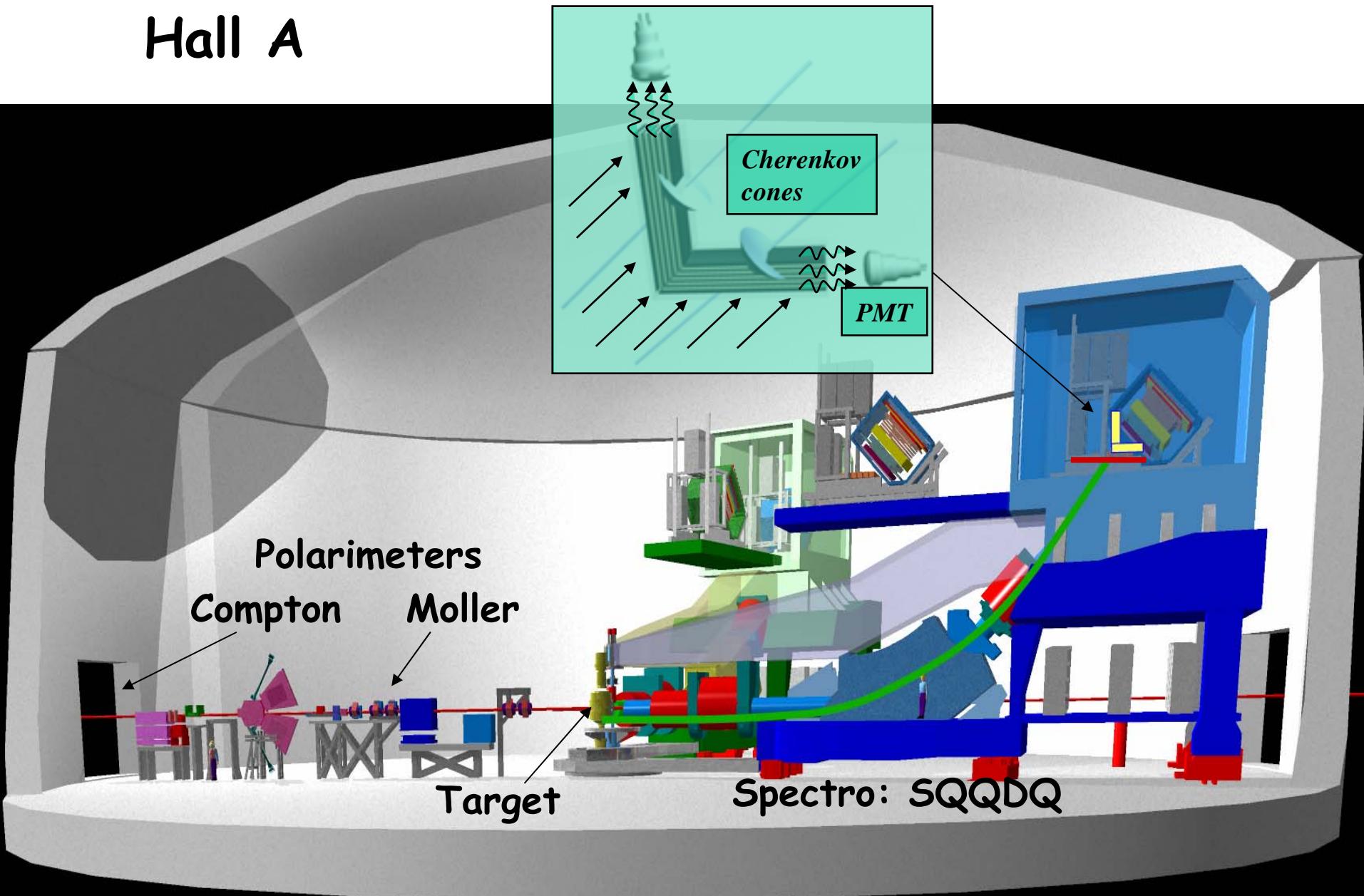
<i>target</i>	A_{PV} $G^s = 0 \text{ (ppm)}$	<i>Stat. Error</i> (ppm)	<i>Syst. Error</i> (ppm)	<i>sensitivity</i>
1H	-1.6	0.08	0.04	$\delta(G^s_E + 0.08G^s_M) = 0.010$
4He	+7.8	0.18	0.18	$\delta(G^s_E) = 0.015$

- Uses Hall A spectrometers
- new septum magnets (6°)
 - new superlattice crystals ($P_B = 85\text{-}89\%$)
 - Compton polarimetry
 - + other improvements

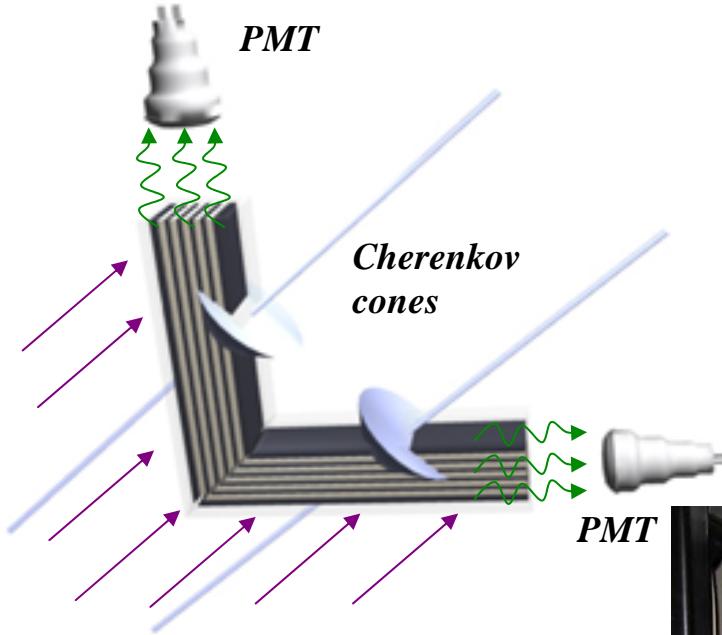
First run data summer 2004,
To be completed starting Jul 05



Hall A



Focal Plane Detectors

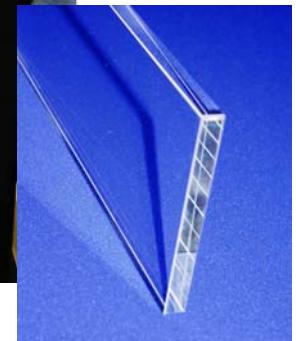


Two segment "L"-shape
covers hydrogen elastic
peak

Smaller ${}^4\text{He}$ elastic peak
requires only $\frac{1}{2}$ single-
segment detector

Brass-Quartz Integrating Cerenkov Shower Calorimeter

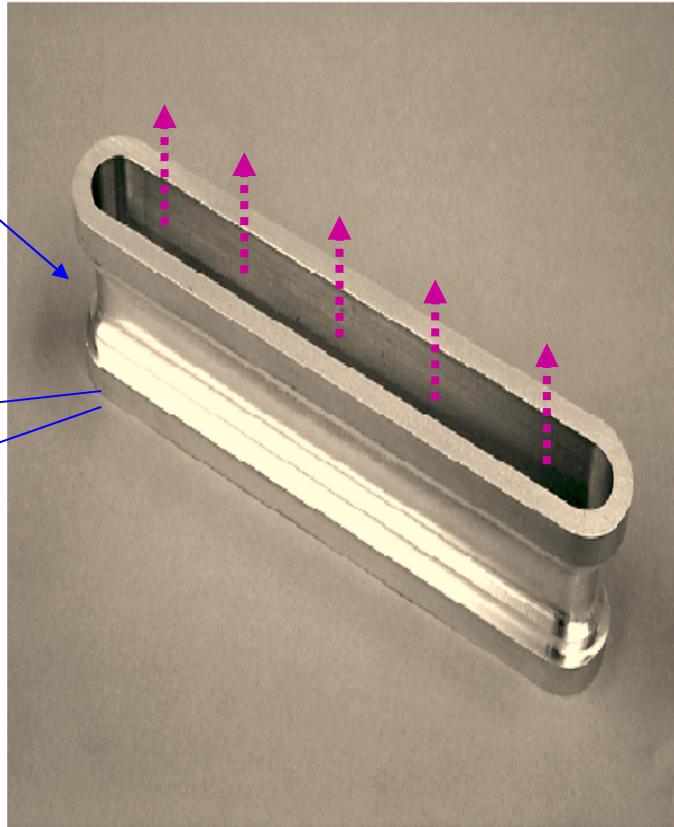
- Inensitive to background
- Directional sensitivity
- High-resolution
- Rad hard



from K. Paschke

Hall A Target

New "race track" design - 20 cm
(transverse cryogen flow)



20 cm LH₂
20 cm ⁴He gas cell
Cold (6.6K), dense (230 psi)
Al walls 3-7 mils thick

from K. Paschke

E. Beise, U Maryland/NSF

2004 HAPPEX-II Results

HAPPEX- ^4He :

$$Q^2 = 0.091 \text{ (GeV/c)}^2$$

$$A_{PV} = +6.72 \pm 0.84 \text{ (stat)} \pm 0.21 \text{ (syst) ppm}$$

$$A(G^s=0) = +7.507 \text{ ppm} \pm 0.075 \text{ ppm}$$

$$G_E^s = -0.039 \pm 0.041_{(\text{stat})} \pm 0.010_{(\text{syst})} \pm 0.004_{(\text{FF})}$$

HAPPEX-H:

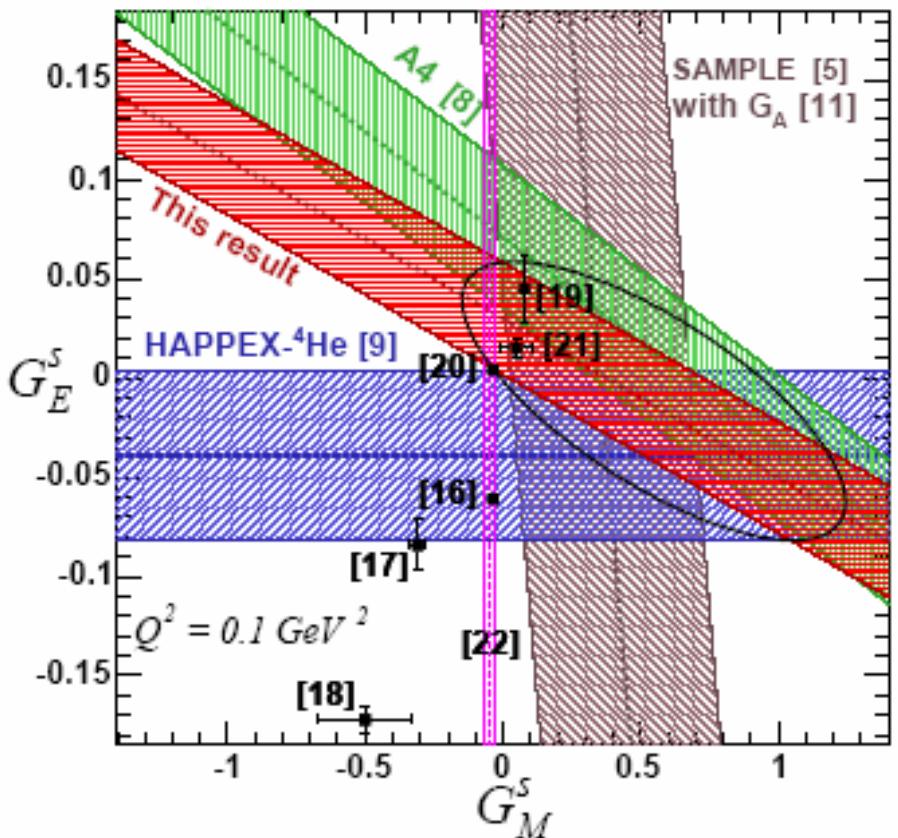
$$Q^2 = 0.099 \text{ (GeV/c)}^2$$

$$A_{PV} = -1.14 \pm 0.24 \text{ (stat)} \pm 0.06 \text{ (syst) ppm}$$

$$A(G^s=0) = -1.440 \text{ ppm} \pm 0.105 \text{ ppm}$$

$$G_E^s + 0.08 G_M^s = 0.032 \pm 0.026_{(\text{stat})} \pm 0.007_{(\text{syst})} \pm 0.011_{(\text{FF})}$$

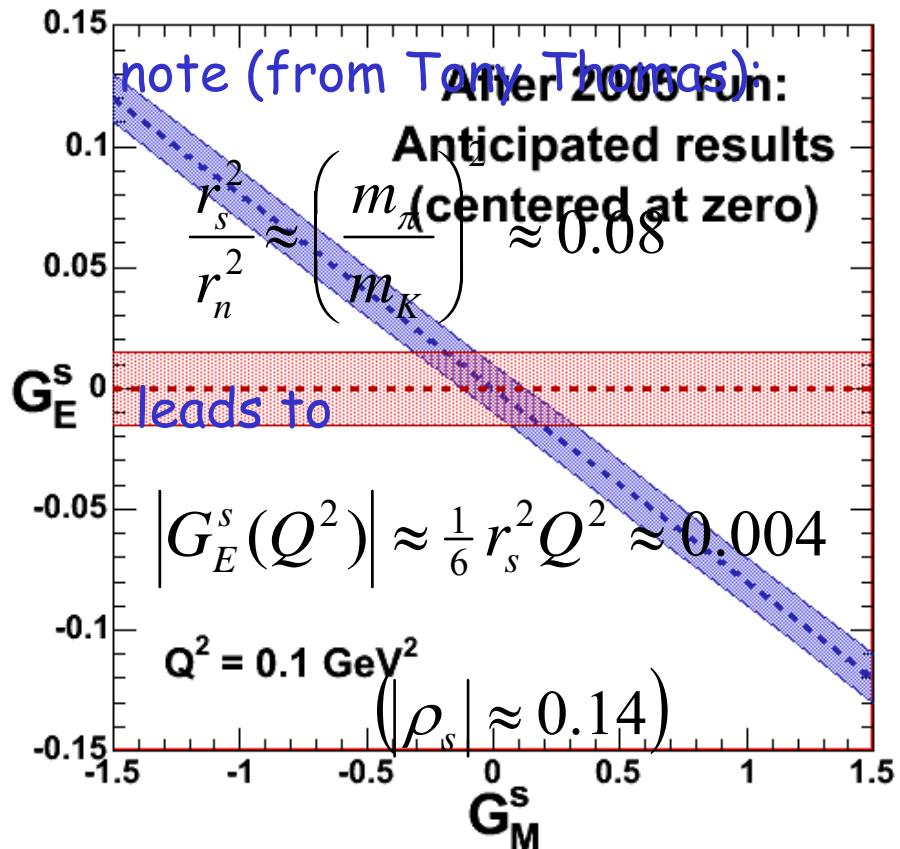
All $Q^2=0.1 \text{ GeV}^2$ data combined (except G0)



$$G_M^s(Q^2 = 0.1) \approx +0.55 \pm 0.28$$

$$\rho_s = \left. \frac{dG_E^s}{d\tau} \right|_{Q^2=0} \approx -0.36 \pm 1.1$$

HAPPEX '05 Run Expected Uncertainties



K.Aniol et al nucl-ex/0506010, 0506011
and from K. Paschke

The GO experiment at JLAB

- Forward and backward angle PV e-p elastic and e-d

(quasielastic) in JLab Hall C

- superconducting toroidal magnet

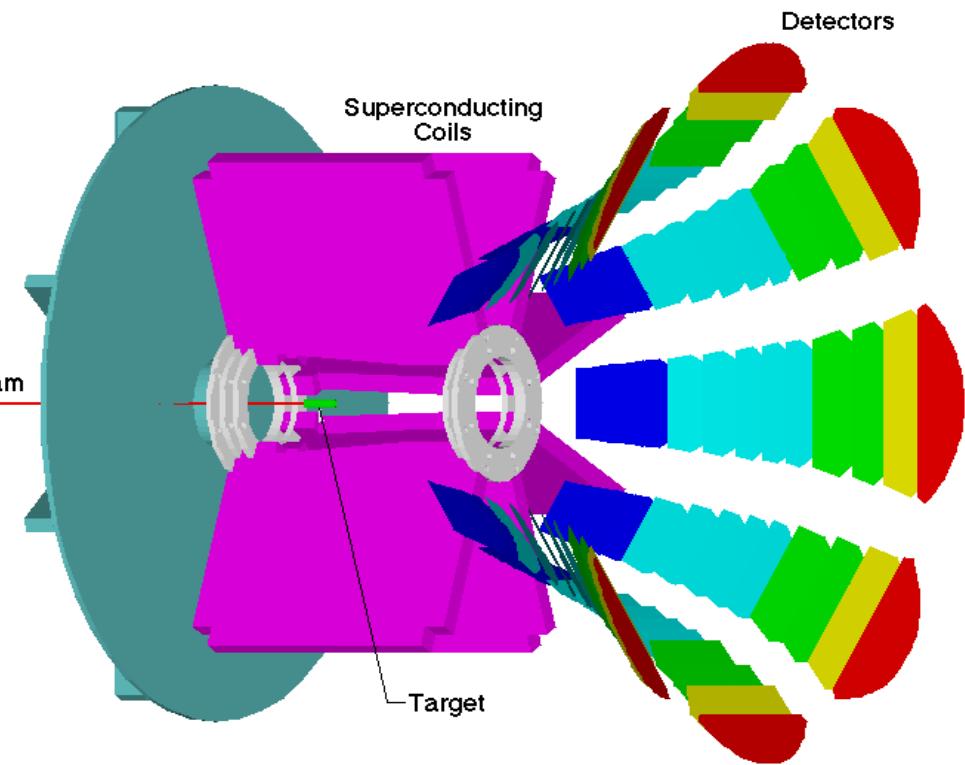
- scattered particles detected in segmented scintillator arrays in spectrometer focal plane

- custom electronics count and process scattered particles at $> 1 \text{ MHz}$

• *forward angle run completed*

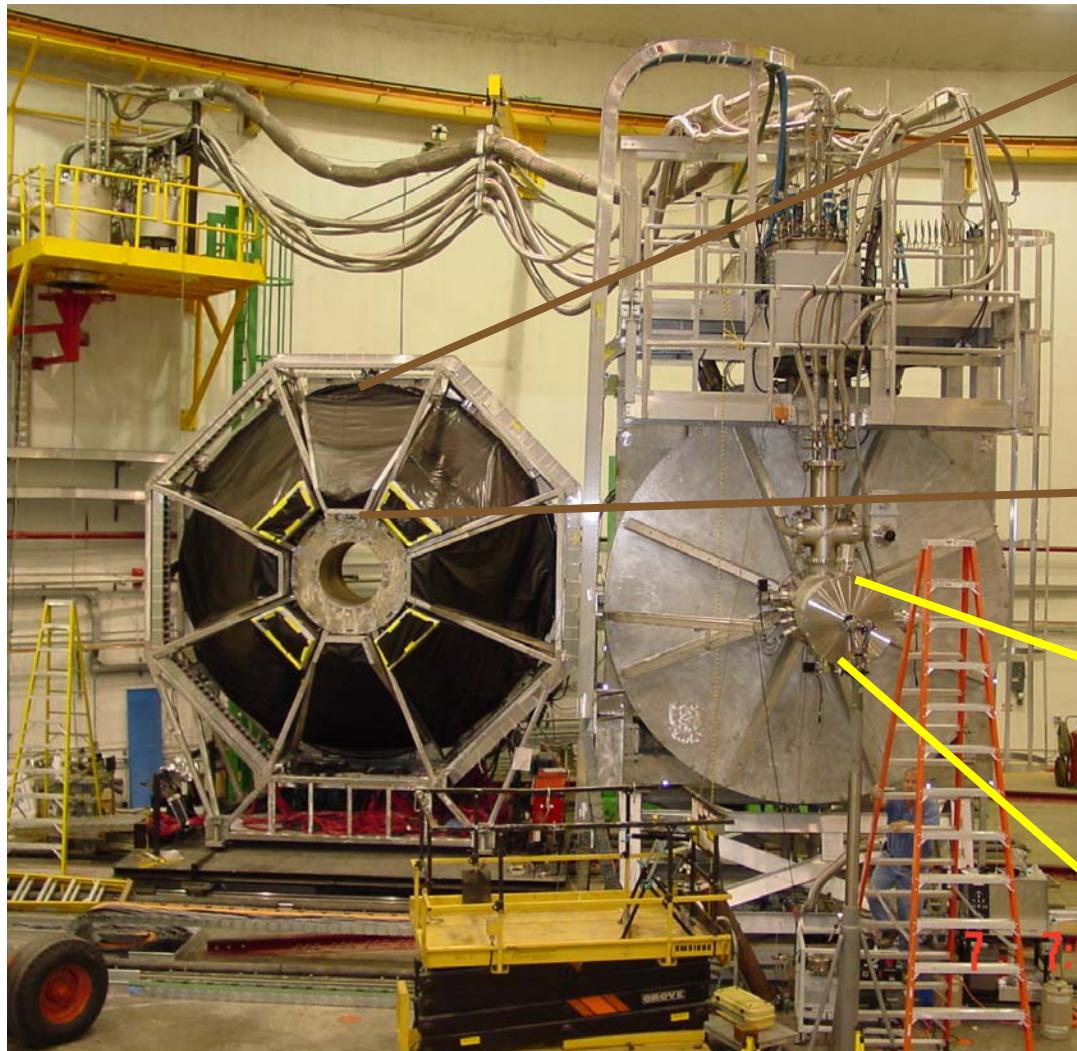
• *start backward angle late 05*

G_E^s , G_M^s and G_A^e separated
over range $Q^2 \sim 0.1 - 1.0 (\text{GeV}/c)^2$

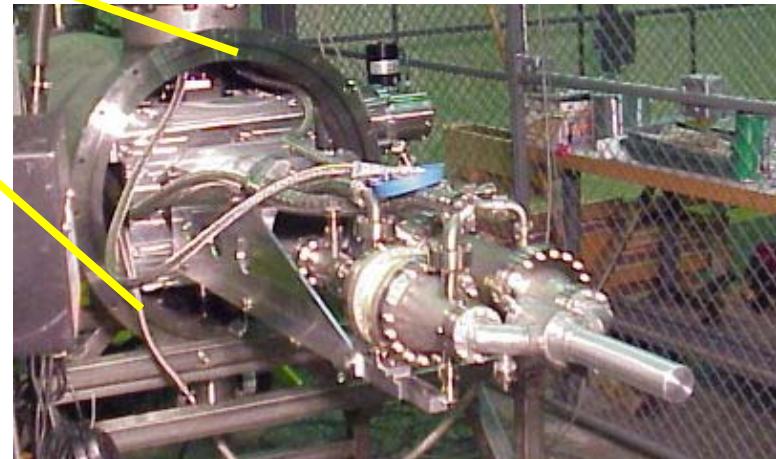


GO Apparatus

One octant's scintillator array



20 cm LH_2 Target



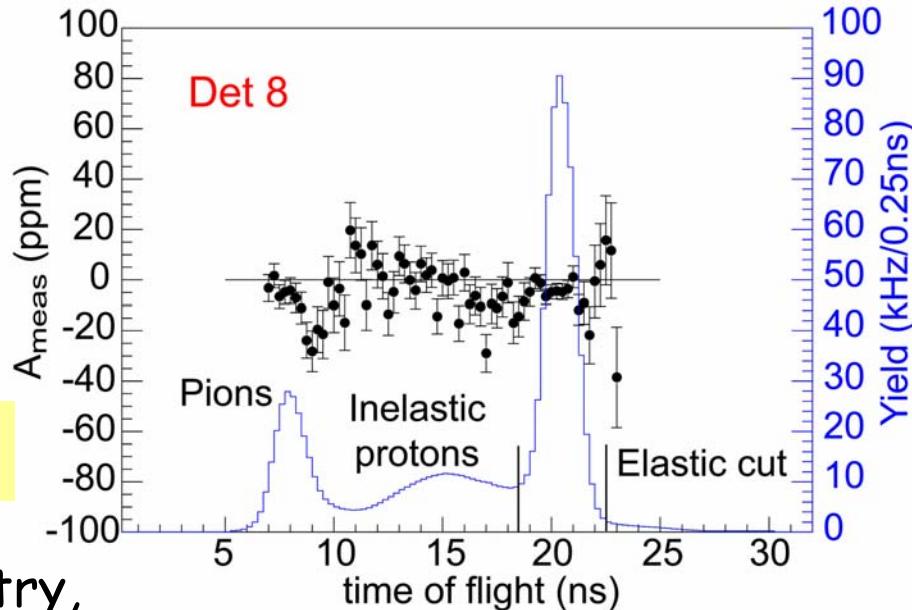
Data analysis/correction for backgrounds

- Measure yield and asymmetry of entire spectrum
- Correct asymmetry according to

$$f = \frac{Y_{back}}{Y_{meas}}$$

$$A_{meas} = (1 - f) A_{el} + f A_{back}$$

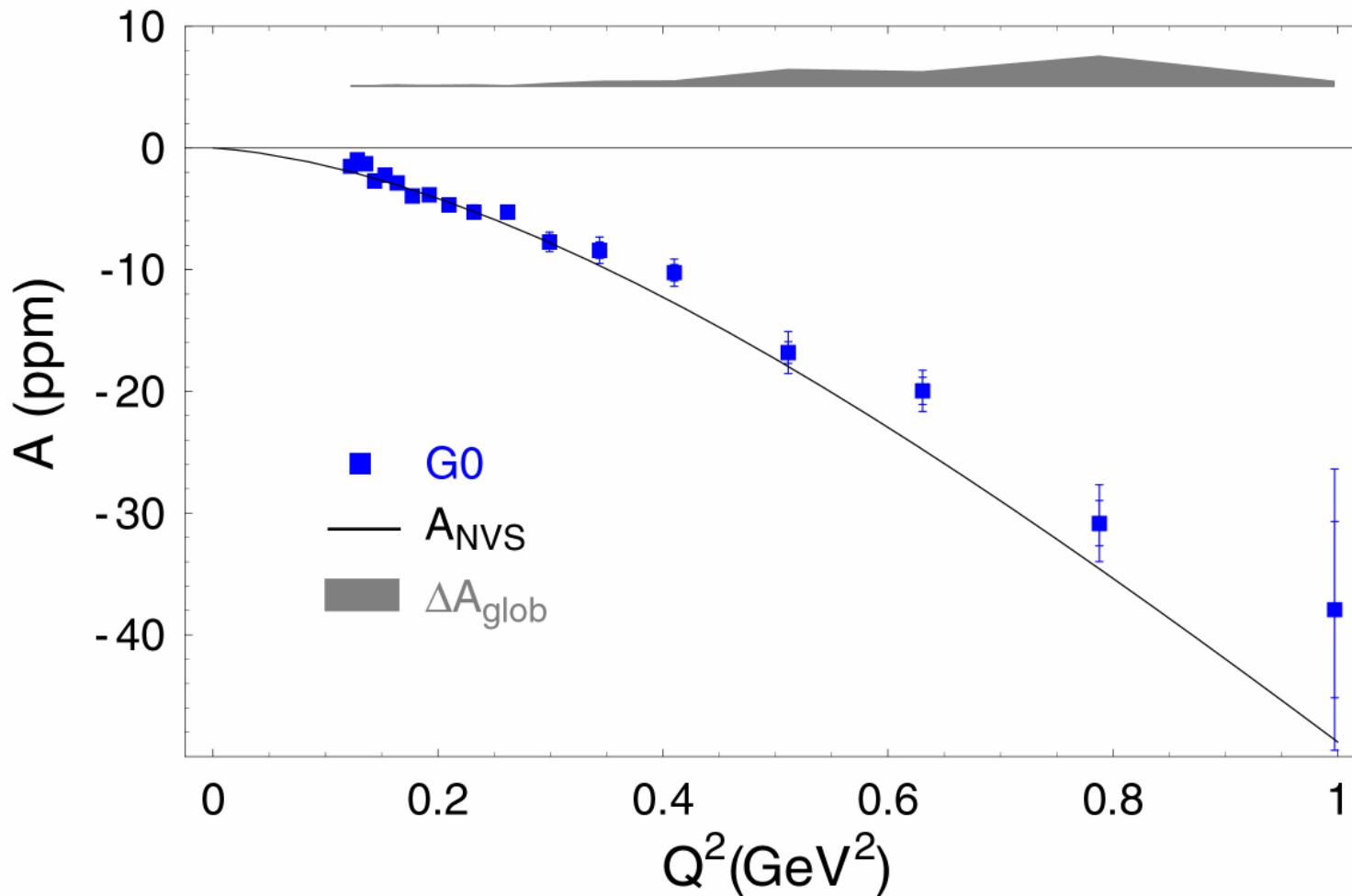
where A_{el} is the raw elastic asymmetry,



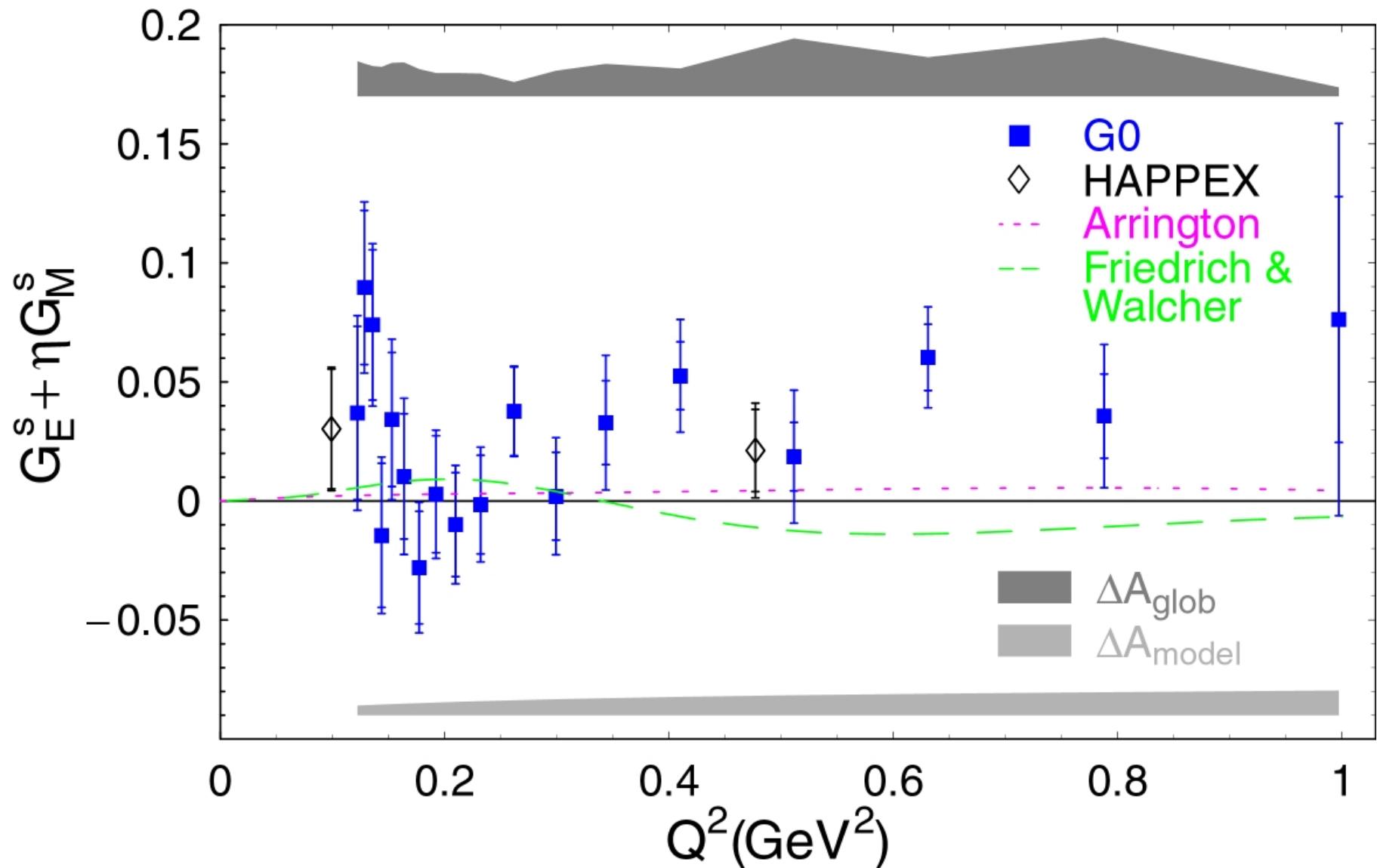
- Actual analysis: $f = f(t)$
 - det. 1-14
 - fit Y_{back} (poly'l of degree 4), Gaussian for elastic peak
 - then fit A_{back} (poly'l of degree 2), constant A_{el}
 - det. 15
 - interpolate over detectors for Y_{back} , A_{back}
 - fit 3 constants for A_{el}

G0 Experimental Asymmetries

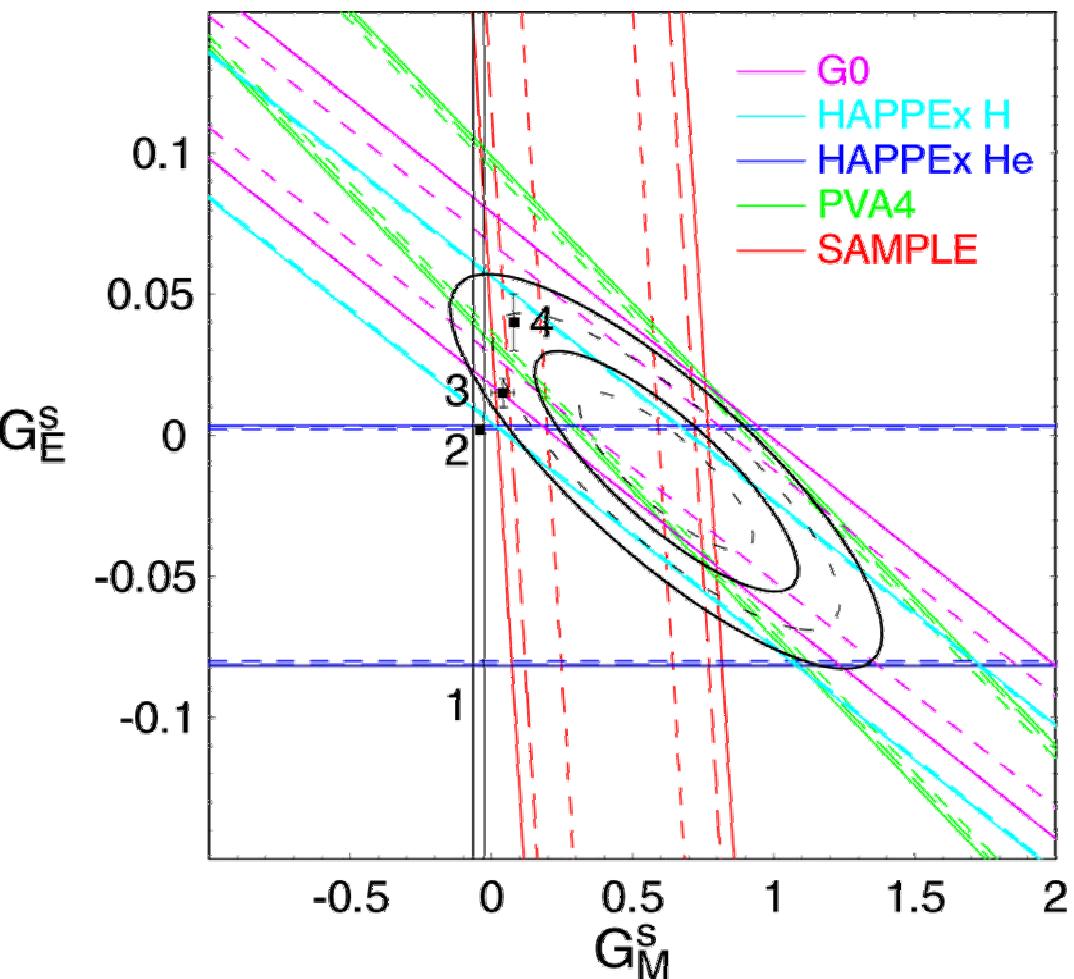
- "no vector strange" asymmetry, A_{NVS} , is $A(G_E^s=0, G_M^s= 0)$
- EM form factors: Kelly PRC 70 (2004) 068202
- inside error bars: stat, outside: stat & pt-pt



G0 Forward angle Results



$Q^2 = 0.1 \text{ GeV}^2$

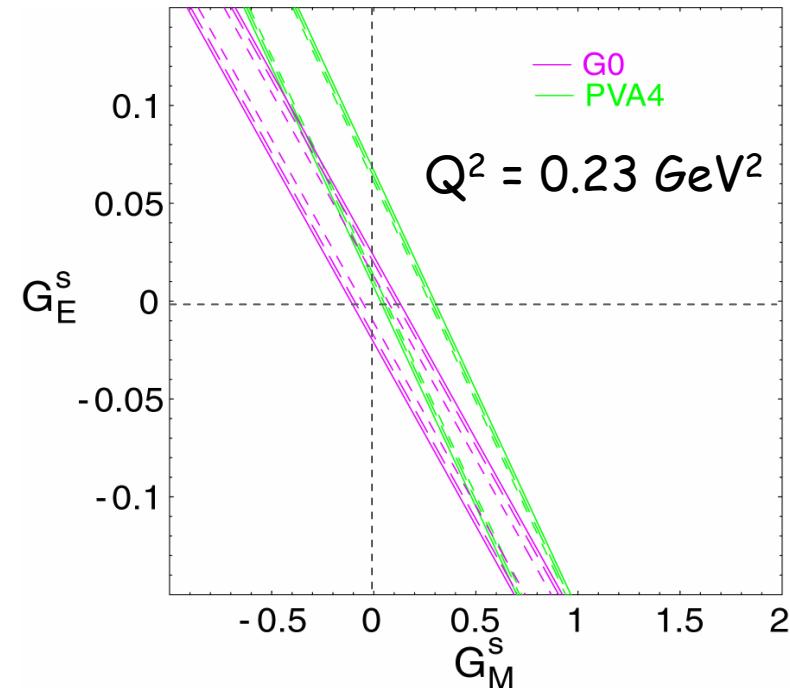


$$G_E^s = -0.013 \pm 0.028$$

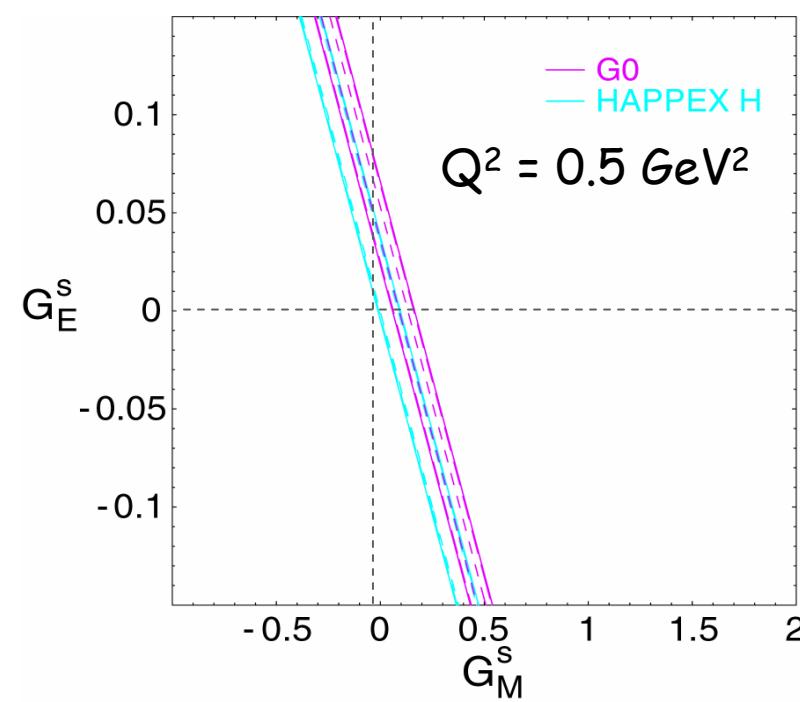
$$G_M^s = +0.62 \pm 0.31$$

from DHB 17-jun- 05

<http://www.npl.uiuc.edu/exp/G0/Forward>



$Q^2 = 0.5 \text{ GeV}^2$



"Fit" to World Hydrogen Data

D. Beck, 18-Jun-05

$$c_2 = -0.51 \pm 0.25$$

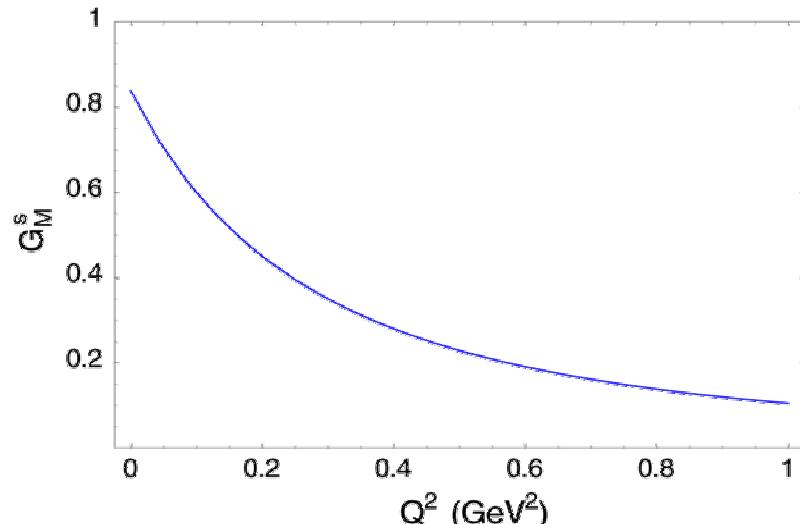
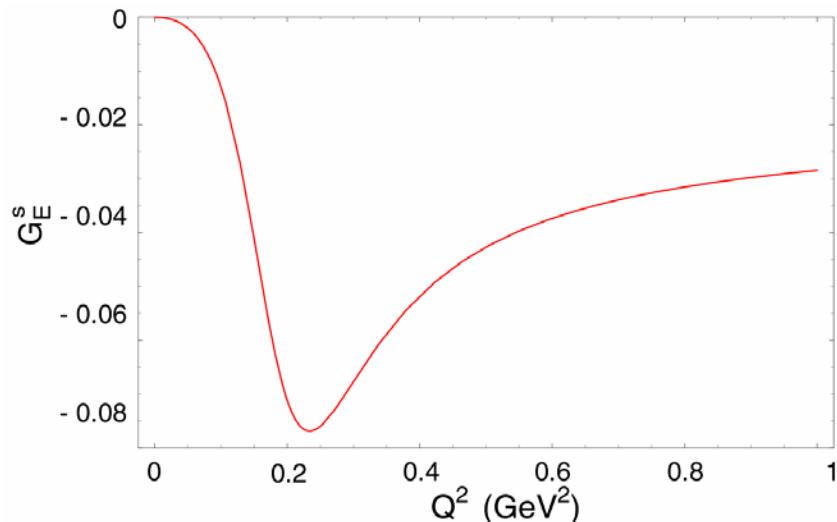
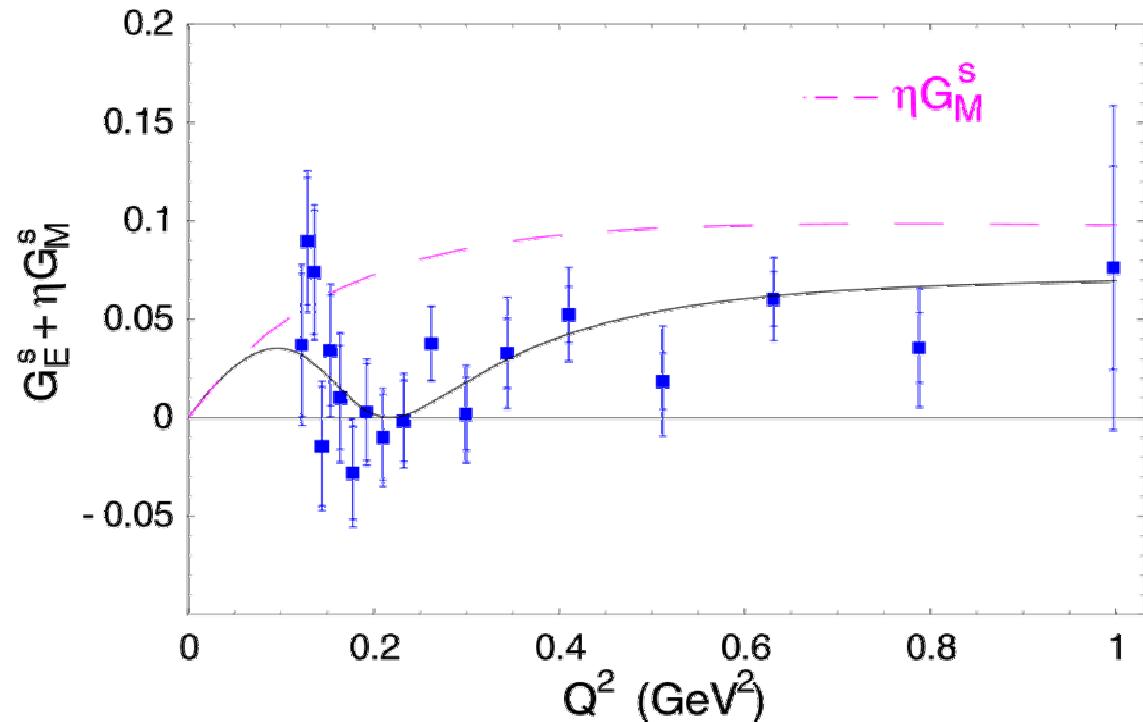
$$d_1 = -8.5 \pm 0.9$$

$$d_2 = 24 \pm 6$$

$$d_3 = 1$$

$$(\Lambda_M^s)^2 = \Lambda^2 / 1.3$$

Remember the factor of $-1/3$



E. Beise, U Maryland/NSF

What's next for strange ffs

G0 backward: detect electrons at $\theta = 108^\circ$

$Q^2 = 0.3, 0.5, 0.8 \text{ GeV}^2$

both LH_2 and LD_2 targets
(begin fall 2005)

PV-A4 backward: $\theta = 145^\circ$

$Q^2 = 0.23, 0.47 \text{ GeV}^2$
(underway)



HAPPEX (now...)

high precision at $Q^2 = 0.1 \text{ GeV}^2$
(proposed July 2005)

high precision at $Q^2 = 0.6 \text{ GeV}^2$

Future program using Parity Violation will come with GO (and PVA4):

the nucleon's anapole form factor

$N-\Delta$ weak transition form factor

2-boson exchange (Parity-conserving transverse asymmetries)

w/ JLab at 6 GeV

low energy Standard Model tests



QWeak

1st (relook) at Deep Inelastic Scattering

Hadronic effects and QCD

higher twist effects

1st (dedicated) look at the resonance region

w/ JLab at 11 GeV

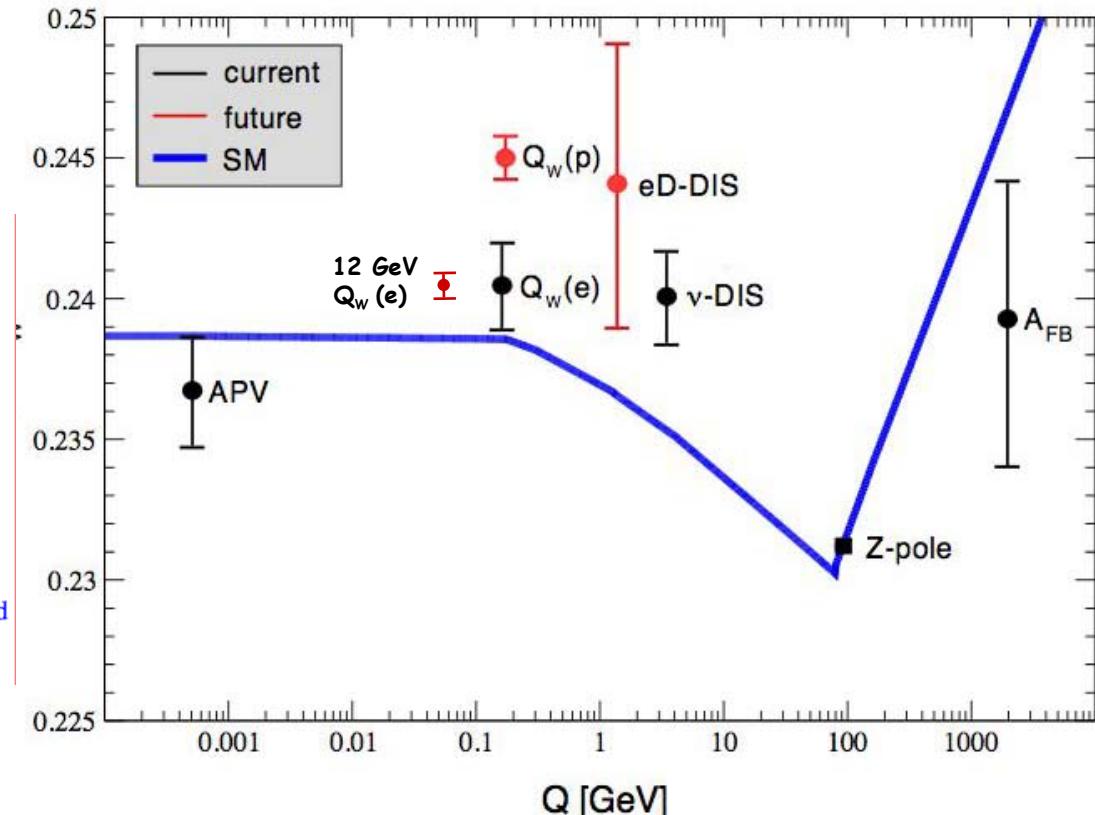
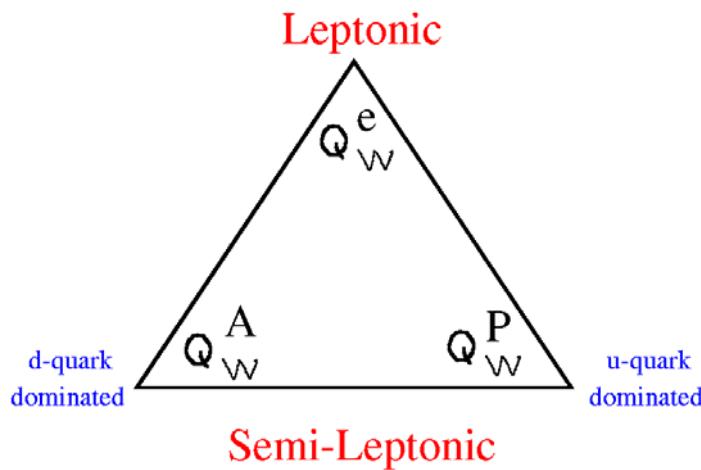
★ high precision SM tests ($e-p$, $e-d$ DIS, $e-e$)

charge symmetry violation

EMC effects with a weak probe

"Running of $\sin^2 \theta_W$ "

Weak "triad"
(M. Ramsey-Musolf)



present:

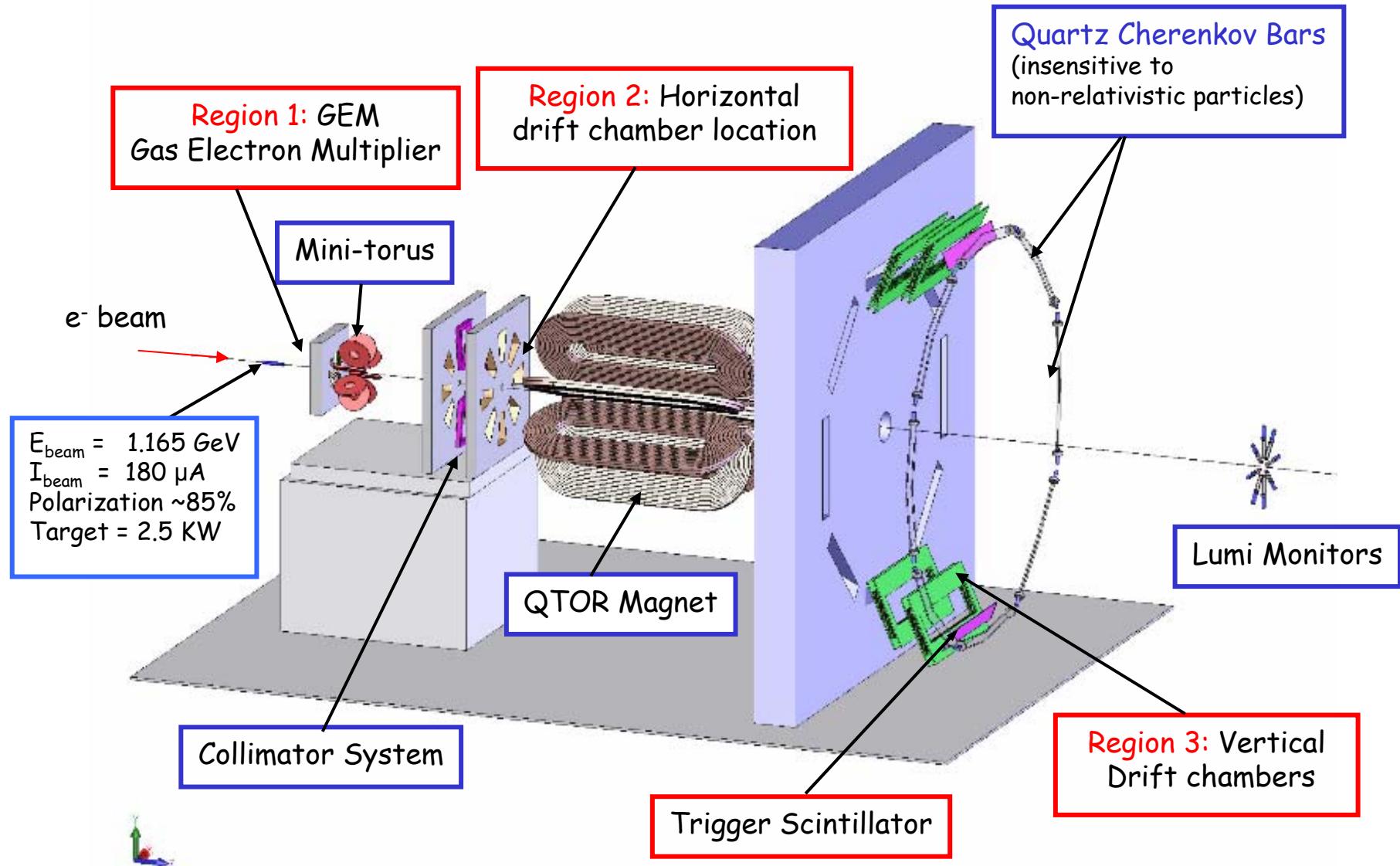
"d-quark dominated" : Cesium APV (Q_w^A)
"pure lepton": SLAC E158 (Q_w^e)

future:

"u-quark dominated" : $Q_{\text{weak}} (Q_w^P)$
"pure lepton": 12 GeV e2ePV (Q_w^e)

The Qweak Apparatus

(Calibration Mode Only - Production & Calibration Modes)



PV Deep Inelastic Scattering revisited

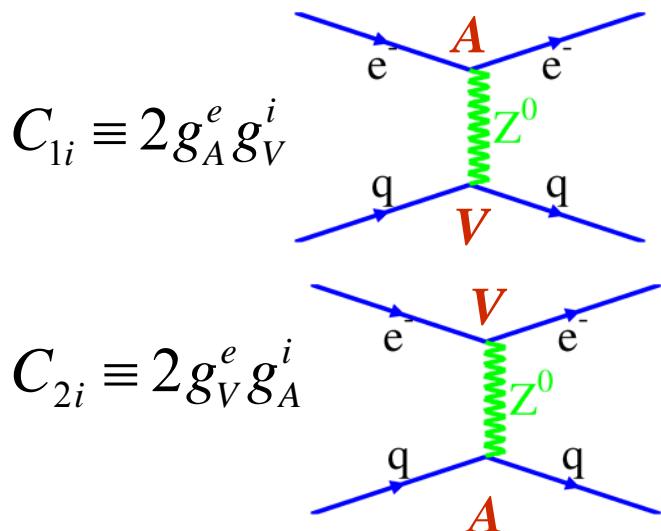
$$A_{PV} = \frac{G_F Q^2}{\sqrt{2}\pi\alpha} [a(x) + f(y)b(x)]$$

$$y = \frac{E - E'}{E}$$

deuteron:

$$a(x) = \frac{3}{10} [(2C_{1u} - C_{1d})] + \dots$$

$$b(x) = \frac{3}{10} \left[(2C_{2u} - C_{2d}) \frac{u_v(x) + d_v(x)}{u(x) + d(x)} \right] + \dots$$



quark structure fns largely cancel
potential sensitivity to higher twist effects

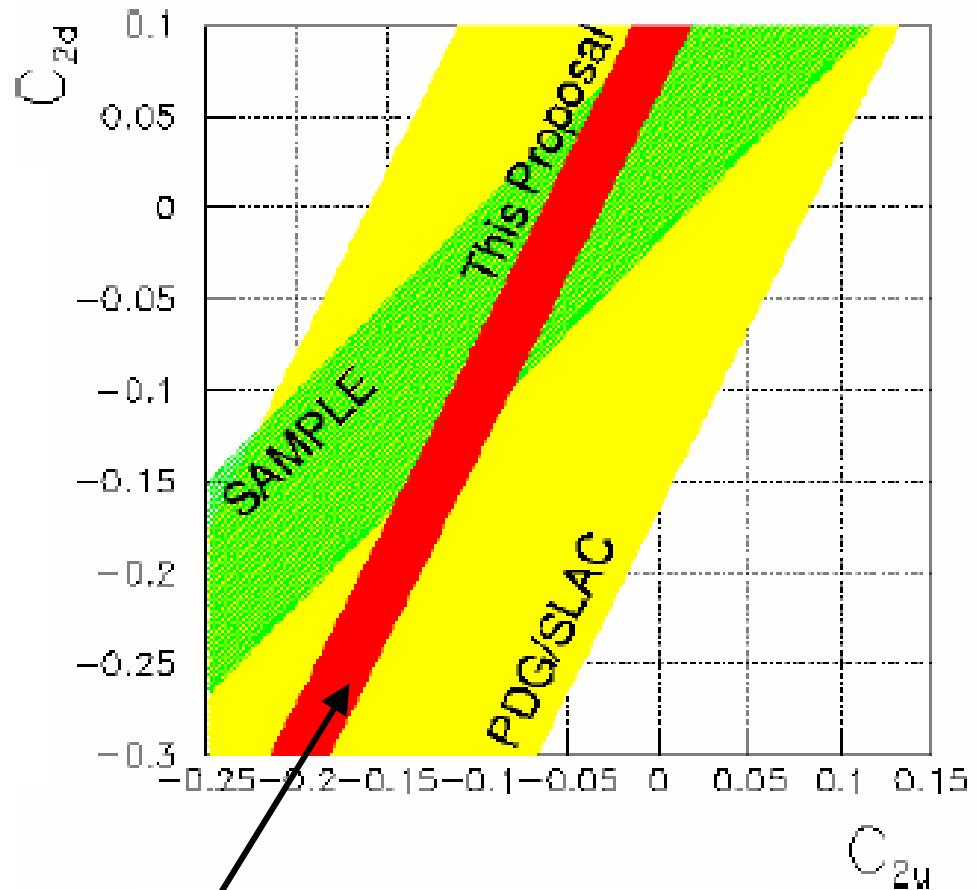
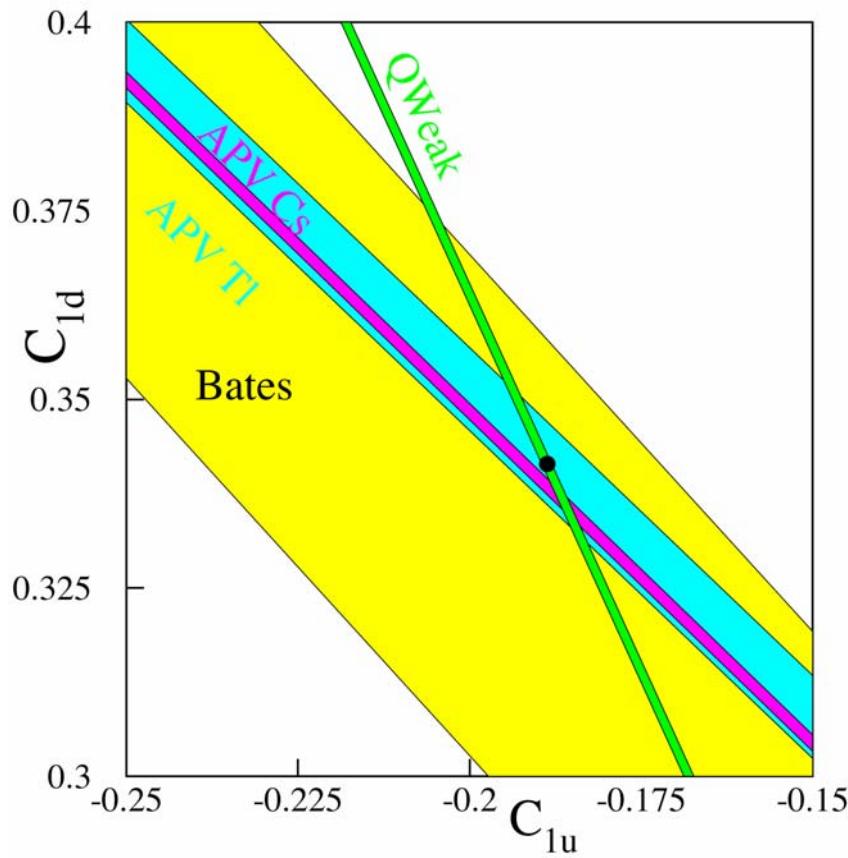
$$(2C_{2u} - C_{2d})$$

hydrogen:

$$a(x) = \frac{u(x) + 0.91d(x)}{u(x) + 0.25d(x)} + \text{small corrections}$$

measure d/u directly in proton
potential sensitivity to charge symmetry violation (large x)

Parity violating e-quark couplings



e-D DIS (6 GeV), major improvement in axial couplings,
1st look at higher twist effects
(E05-007, Hall A, X. Zheng, P. Reimer)

w/ JLab @ 11 GeV: x20 improvement (likely Hall C)

Summary

PV e - p scattering is evolving!

hadron structure

- new results: s-quarks contribute to proton's charge/ magnetism at $\leq 5\text{-}10\%$ level. How are they distributed (and why)?
- should be known well-enough to proceed with low-energy precision tests of Standard Model

Future program includes wide array of physics

2- γ exchange and transverse asymmetries (S. Phillips poster)

anapole form factors

resonances

higher twist, d/u, CSV

EMC in weak interaction

precision tests of Standard Model

PV in e -Pb scattering - neutron skin

Thanks to...

Kent Paschke (HAPPEX)
Doug Beck (GO)
Frank Maas (PVA4)

Mark Pitt (QWeak)
Xiaochao Zheng/ Bob Michaels (DIS)

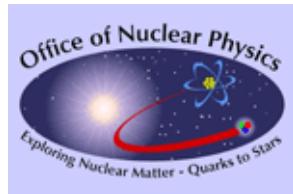
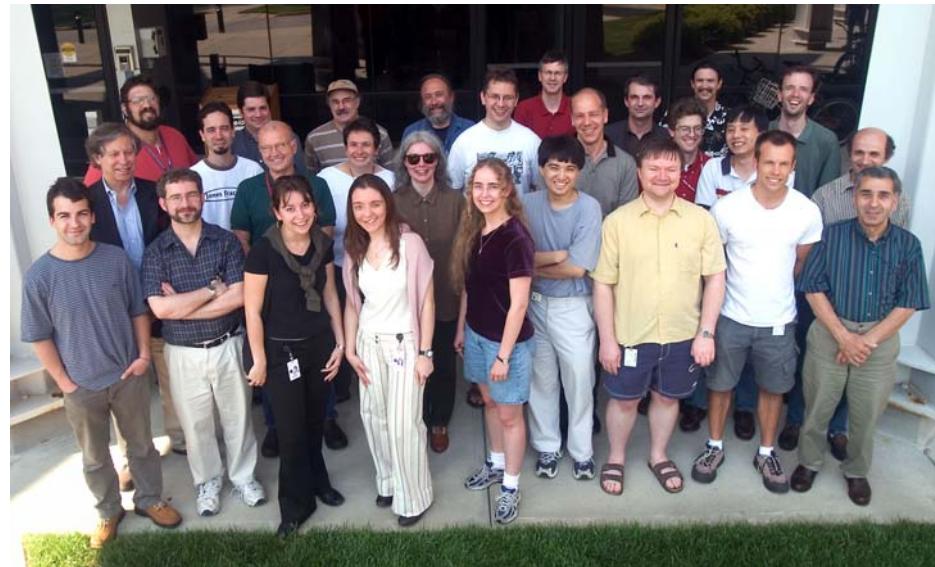
and the GO Collaboration, especially

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